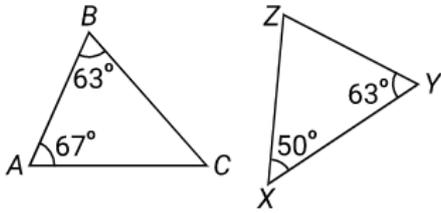


# Year 9 Class 14 questions

Q1

The two shapes below are similar.



Which angle is matching to  $\angle C$ ?

- $\angle Z$       $\angle X$       $\angle Y$

Which side is matching to  $YZ$ ?

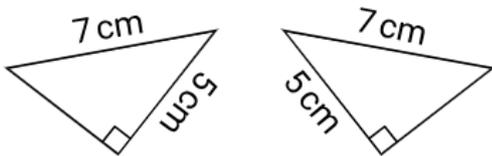
- $BC$       $AC$       $AB$

Complete the pair of matching angles.

$\angle A = \angle$

Q2

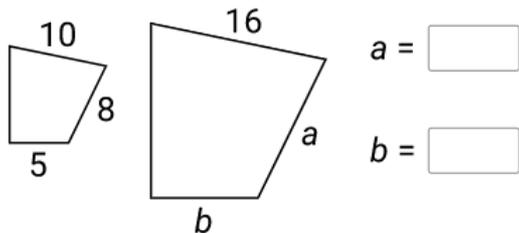
Which test proves the two triangles are congruent?



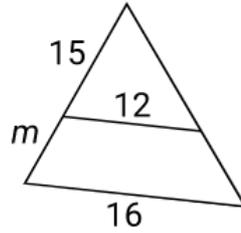
- RHS     SSS     SAS     AAS

Q3

Find the values of  $a$  and  $b$  given the shapes are similar.



Q4



Find  $m$ , given the shapes are similar.

Q5

Prove that  $\triangle MON \sim \triangle POQ$ .

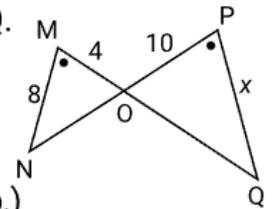
In  $\triangle MON$  and  $\triangle POQ$ .

$\angle M = \angle$   (given)

$\angle MON = \angle$   (vert.opp.)

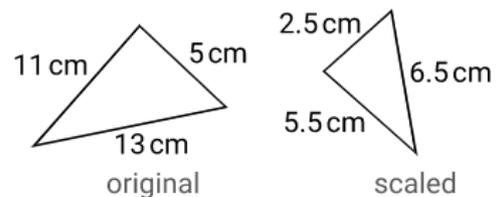
$\therefore \triangle MON \sim \triangle POQ$  (equiangular)

Hence find the value of  $x$ .



Q6

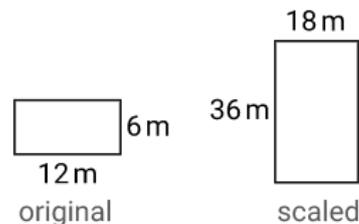
Find the scale factor for the similar figures.



scale factor =

Q7

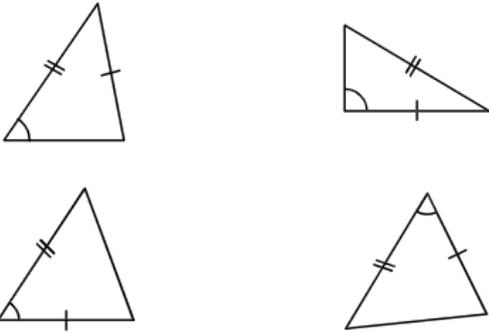
Find the scale factor for the similar figures.



scale factor =

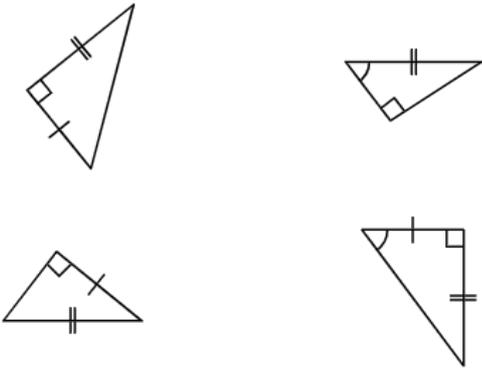
Q8

Using the SAS congruence test, which two triangles are congruent?

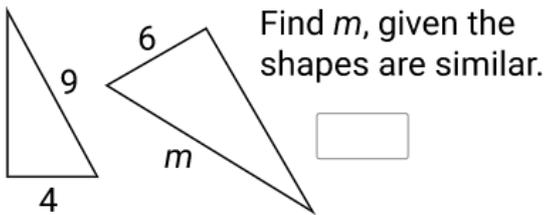


Q9

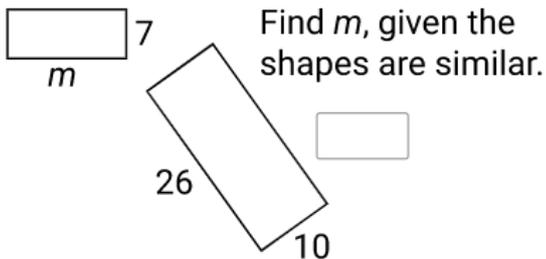
Using the SAS congruence test, which two triangles are congruent?



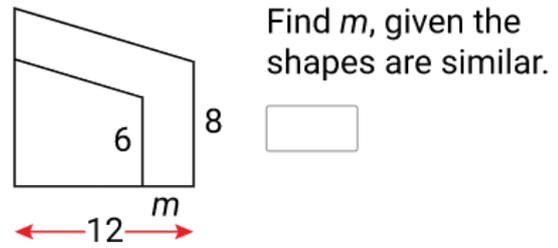
Q10



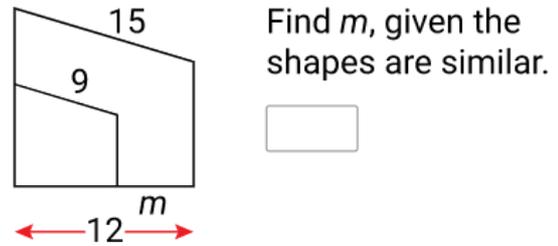
Q11



Q12



Q13



Q14

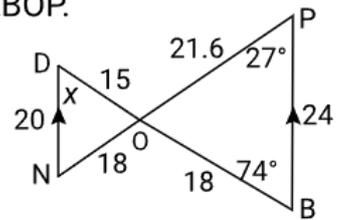
Prove that  $\triangle DON \parallel \triangle BOP$ .

In  $\triangle DON$  and  $\triangle BOP$ .

$$\frac{BO}{\square} = \frac{\square}{15} = \square$$

$$\frac{PO}{\square} = \frac{21.6}{\square} = \square$$

$$\frac{\square}{DN} = \frac{\square}{\square} = \square$$



$\therefore \triangle DON \parallel \triangle BOP$

(  )

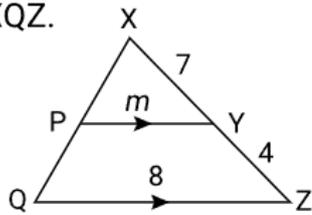
Hence find the value of  $x$ .

°

Q15

Prove that  $\triangle XPY \parallel \triangle XQZ$ .

In  $\triangle XPY$  and  $\triangle XQZ$ .



$\angle$   is common

$\angle XYP = \angle$   (  )

$\therefore \triangle XPY \parallel \triangle XQZ$

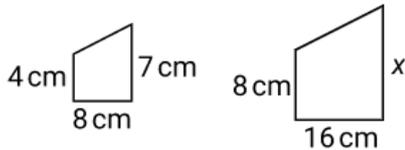
(  )

Hence find the value of  $m$ .

(1 d.p.)

Q16

Consider the similar figures.



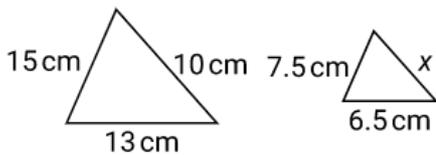
Find the scale factor.

Find the value of  $x$ .

cm

Q17

Consider the similar figures.



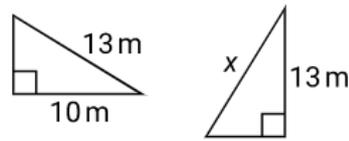
Find the scale factor.

Find the value of  $x$ .

cm

Q18

Consider the similar figures.



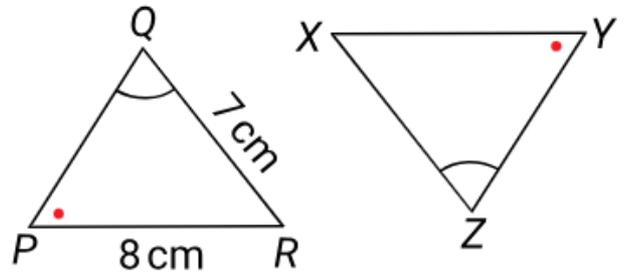
Find the scale factor.

Find the value of  $x$ .

m

Q19

These two triangles are congruent.

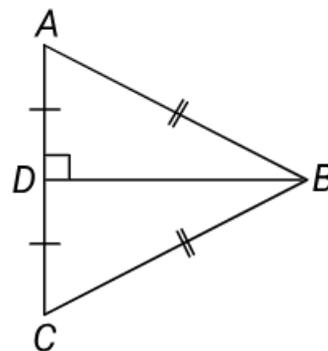


Which side must be equal to 7 cm?

XY      YZ      XZ      QP

Q20

$\triangle ABD$  is congruent to  $\triangle CBD$ .

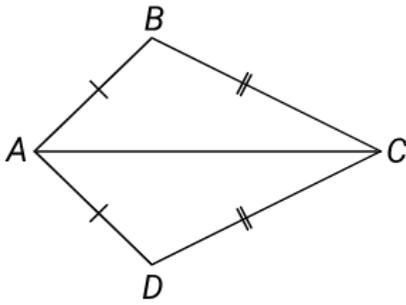


Which angle must be equal to  $\angle DAB$ ?

$\angle ABD$        $\angle CDB$        $\angle CBD$        $\angle DCB$

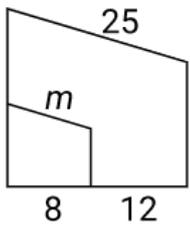
Q21

Which test proves the two triangles congruent?  $\triangle ABC \cong \triangle ADC$ .



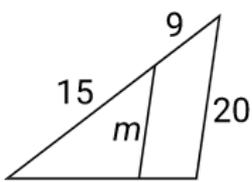
- RHS   
  SSS   
  SAS   
  AAS

Q22



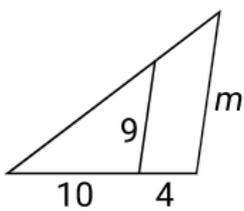
Find  $m$ , given the shapes are similar.

Q23



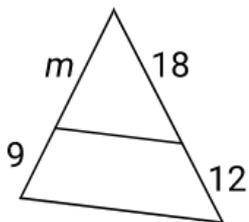
Find  $m$ , given the shapes are similar.

Q24



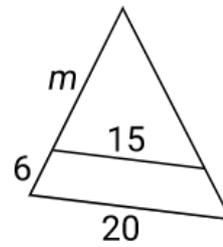
Find  $m$ , given the shapes are similar.

Q25



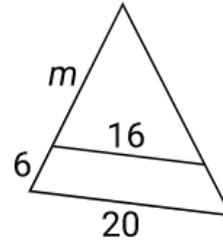
Find  $m$ , given the shapes are similar.

Q26



Find  $m$ , given the shapes are similar.

Q27



Find  $m$ , given the shapes are similar.

Q28

Prove that  $\triangle AEN \parallel \triangle DEP$ .

In  $\triangle AEN$  and  $\triangle DEP$ .

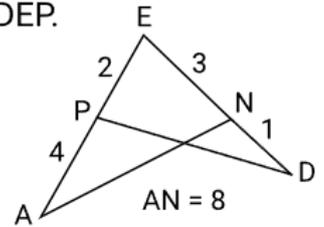
$\angle$   is common

$$\frac{EN}{\square} = \frac{\square}{2} = \square$$

$$\frac{EA}{\square} = \frac{\square}{4} = \square$$

$\therefore \triangle AEN \parallel \triangle DEP$

(  )



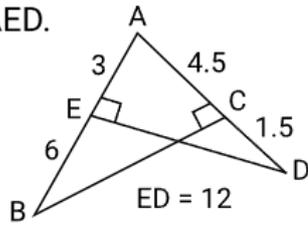
Hence find the length PD.

(1 d.p.)

Q29

Prove that  $\triangle ACB \parallel \triangle AED$ .

In  $\triangle ACB$  and  $\triangle AED$ .



$\angle$   is common

$\angle ACB = \angle$   (  )

$\therefore \triangle ACB \parallel \triangle AED$

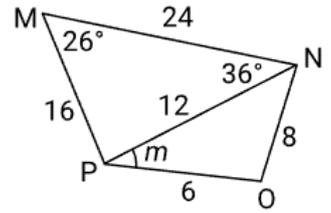
(  )

Hence find the length BC.

Q30

Prove that  $\triangle MPN \parallel \triangle NOP$ .

In  $\triangle MPN$  and  $\triangle NOP$ .



$$\frac{MN}{\square} = \frac{\square}{12} = \square$$

$$\frac{MP}{\square} = \frac{\square}{8} = \square$$

$$\frac{NP}{\square} = \frac{12}{\square} = \square$$

$\therefore \triangle MPN \parallel \triangle NOP$

(  )

Hence find the value of  $m$ .

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